

# Learning from distributed and heterogeneous data

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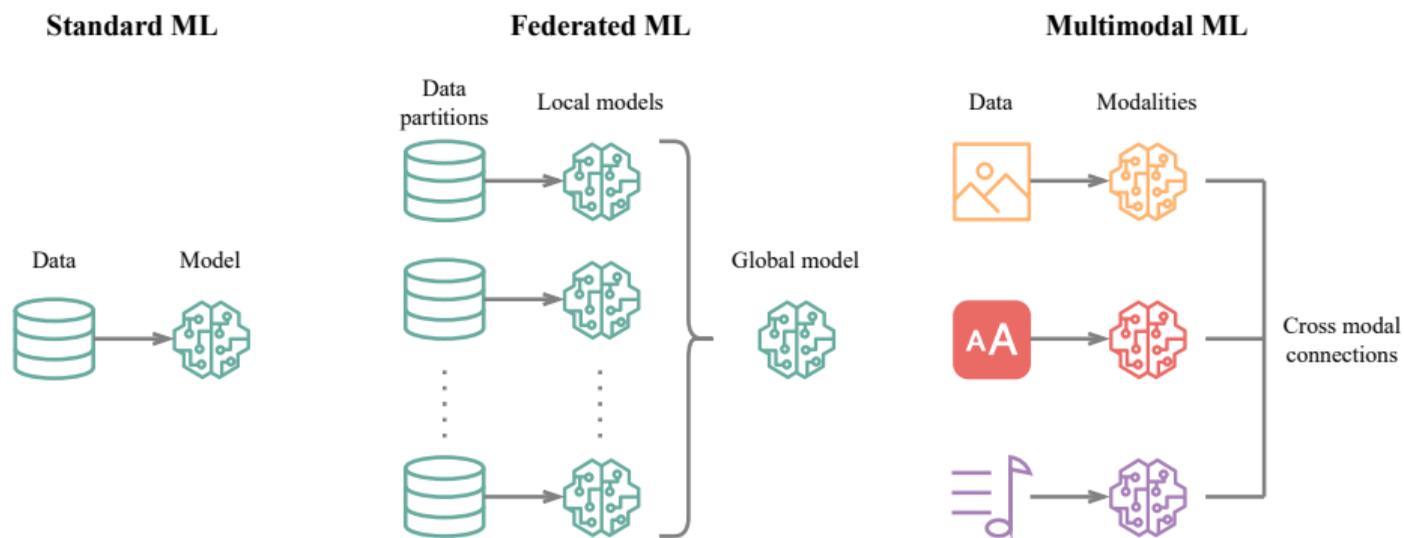
**Machine Learning (ML)** "...the development and study of statistical **algorithms** that can learn from **data** and generalize to unseen data...", from Wikipedia

Data are by nature **distributed**:

- generated from diverse sources (social media, IoT devices...)
- infeasible to be collected together (cost, legal restrictions, different formats...)

Data are also inherently **heterogeneous**, including:

- Heterogeneity across data partitions.
- Inherent heterogeneity across data of different formats.



Algorithms need to adapt to the **distributed** and **heterogeneous** nature of data.

My work focuses on two aspects:

- Federated learning: Learning from distributed data.
- Vision language models: Learning from data of different formats.

# But what is FL?

## Classification problem

We are interested in a classifier  $\hat{y} = f(\hat{x}; \theta), \theta \in \Theta$ .

Given a dataset  $\mathcal{D} = \{(x_n, y_n)\}_{n=1}^N$ , with  $y = f(x; \theta)$  and  $\ell(\cdot, \cdot)$ , we aim to solve the optimisation problem

$$\theta^* = \arg \min_{\theta \in \Theta} \frac{1}{N} \sum_{n=1}^N \ell(f(x_n; \theta), y_n).$$

Generally solved with stochastic first-order methods.

# But what is FL?

## Federated Learning

The dataset is  $\{\mathcal{D}_k\}_{k=1}^K$ , where  $\mathcal{D}_k = \{(x_n, y_n)\}_{n=1}^{N_k}, \forall k \in [K]$ . Then the optimisation problem is in the form of

$$\theta^* = \arg \min_{\theta \in \Theta} \frac{1}{K} \sum_{k=1}^K R_k(\theta),$$

where  $R_k(\theta) = \sum_{n=1}^{N_k} \ell(f(x_n; \theta), y_n)$ .

How to solve this problem efficiently, w.r.t. the distributed data access pattern?

Baseline algorithm: **FedAvg**.

# Generalised framework

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## Algorithm 1 FedOpt<sup>1</sup>

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**Require:** Initialize parameters  $\theta^0$

**for** round  $t$  in  $\{1, \dots, T\}$  **do**

**for** client  $k$  in  $\{1, \dots, K\}$  **parallel do**

$$\theta_k^t = \text{ClientOpt}(\theta^{t-1})$$

▷ Client-side

$$\Delta_k^t \theta := \theta_k^t - \theta^{t-1}$$

**end for**

$$\Delta^t \theta = \text{Aggre}(\{\Delta_k^t \theta, 0 \leq k < K\})$$

▷ Server-side

$$\theta^{t+1} = \text{ServerOpt}(\Delta^t \theta)$$

**end for**

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- FedAvg: *SGD* + *Averaging* + *GD*.
- FedAdam: *SGD* + *Averaging* + *Adam*.

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<sup>1</sup>Reddi et al., "Adaptive federated optimization".

# Federated learning for predicting compound mechanism of action based on image-data from cell painting<sup>2</sup>

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<sup>2</sup>Ju, Hellander, and Spjuth, "Federated learning for predicting compound mechanism of action based on image-data from cell painting".

## Questions of interest

An image classification problem:

- Fluorescence image  $X$ :  $H \times W \times \#channels$ .
- MoA  $Y$ : Categorical variable.
- Model: a classifier  $\hat{y} = f(\hat{x}; \theta)$ .

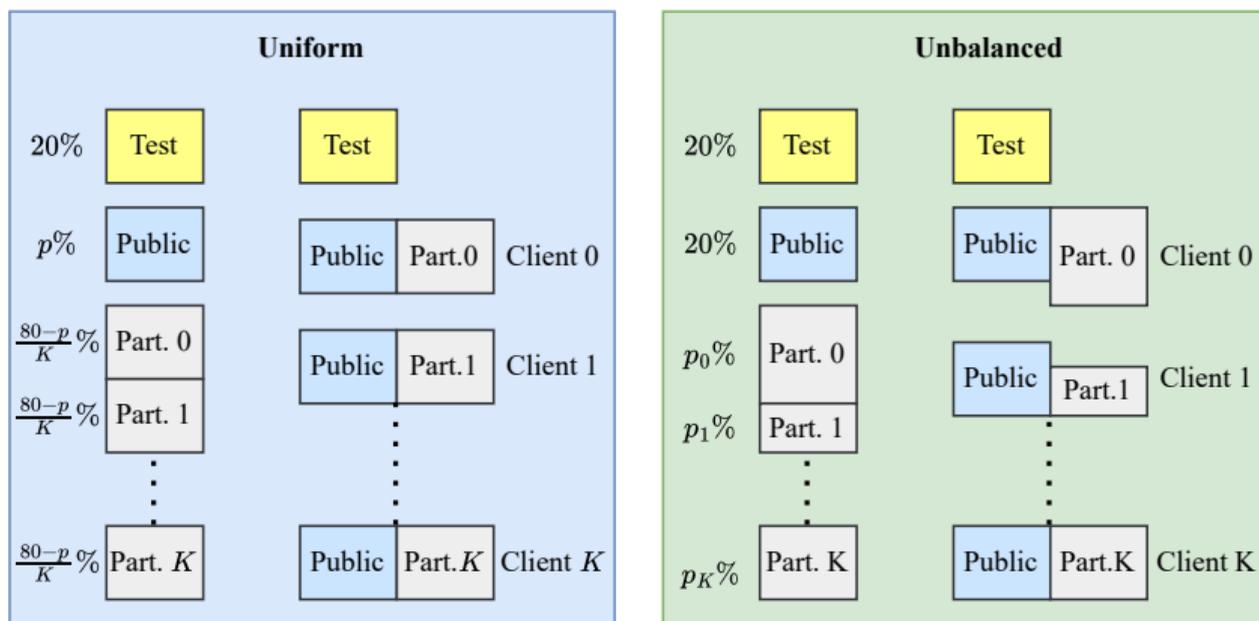
In pharmaceutical industry, collaborative ML without sharing data is necessary. FL is the option!

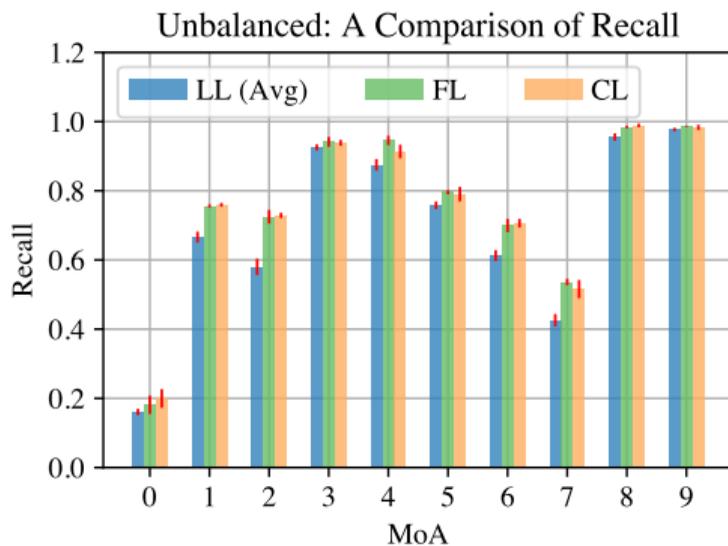
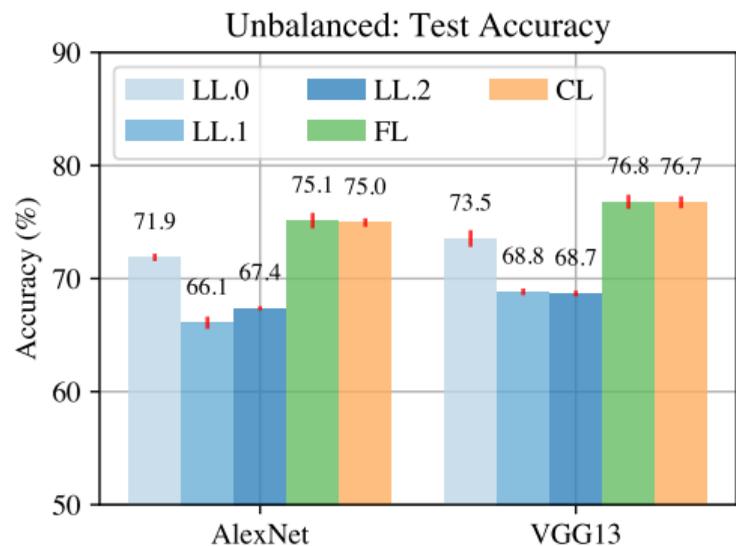
In the context of MoA prediction, we are interested in

- the **effectiveness** of FL.
- how **data heterogeneity** affects the performance.

# Scenarios

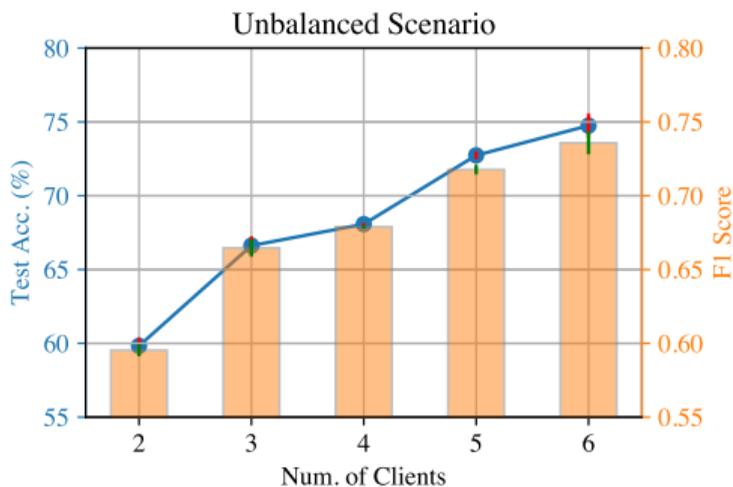
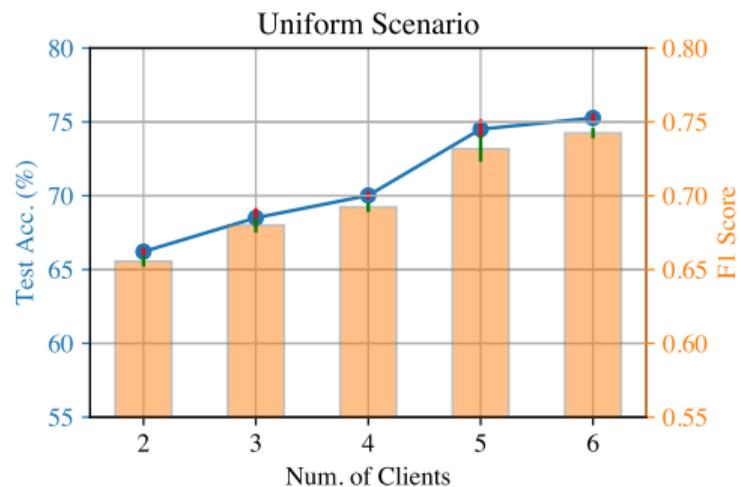
We simulate three scenarios, **Uniform**, **Unbalanced (in sizes)**, and **Non-IID (specialisation in certain MoAs)**.



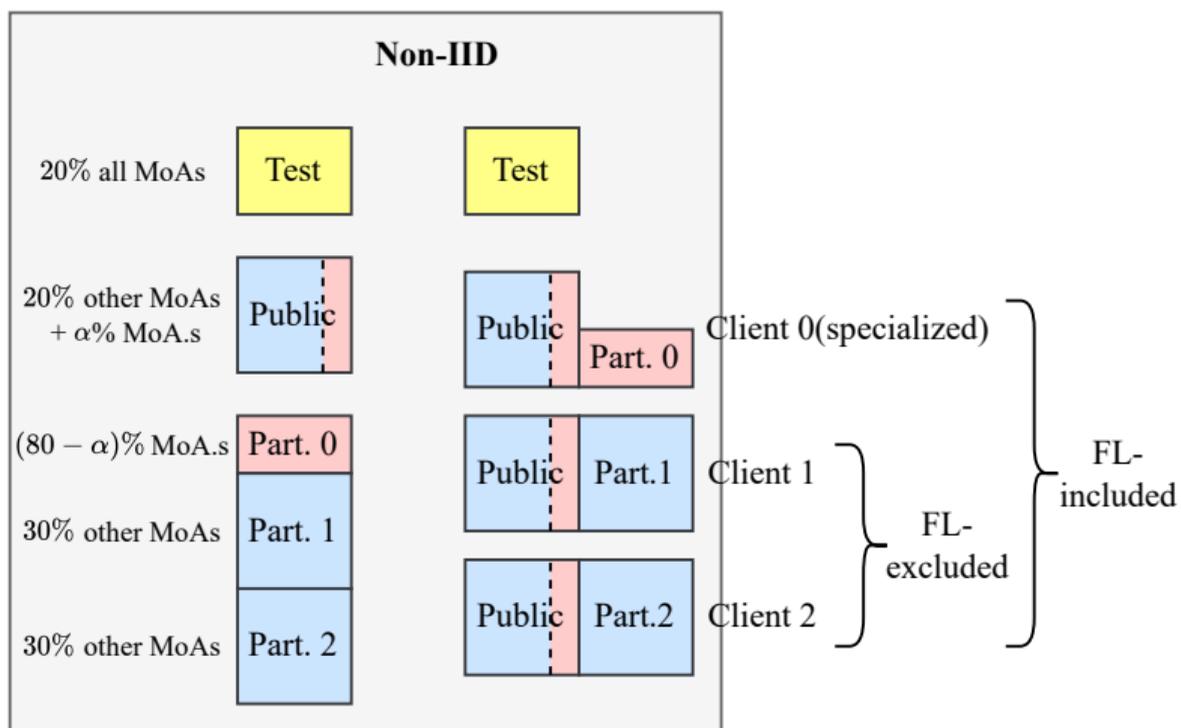
$CL \approx FL > LL$ 


This encourages collaboration across pharm entities using FL, instead of training local models.

# The more participants, the better performance

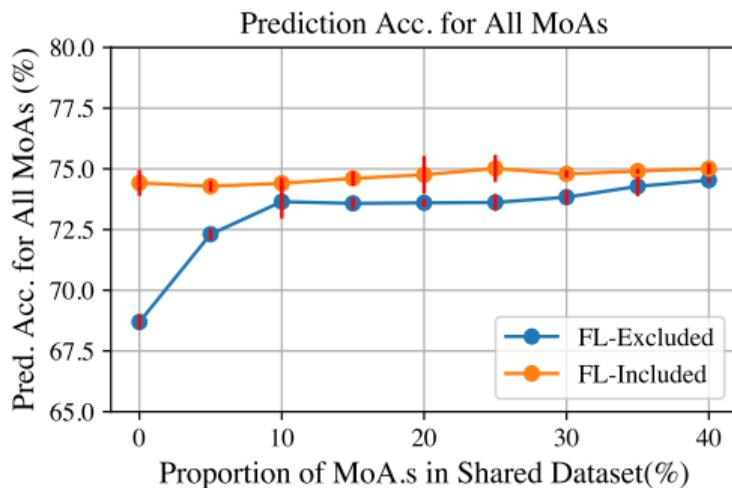
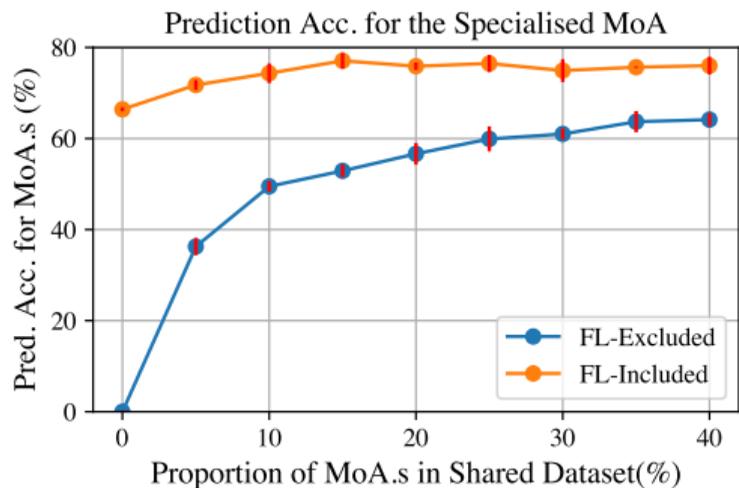


This encourages existing participants to keep engaging in FL throughout the life cycle of a model.



We compare the performance of the federated models with the specialised client **included** and **excluded**.

## Specialised participant brings benefits



Including the specialised client in federated learning

- significantly improves the prediction accuracy for the specialised MoA.
- slightly improves the average prediction accuracy for all MoAs.

This encourages both specialised and general clients to join federated learning.

We conclude that

- Federated learning does bring benefits for MoA prediction.
- Our studies provide motivations for different (potential) participants.
- Theoretical studies for data heterogeneity are too pessimistic in the context of MoA prediction.

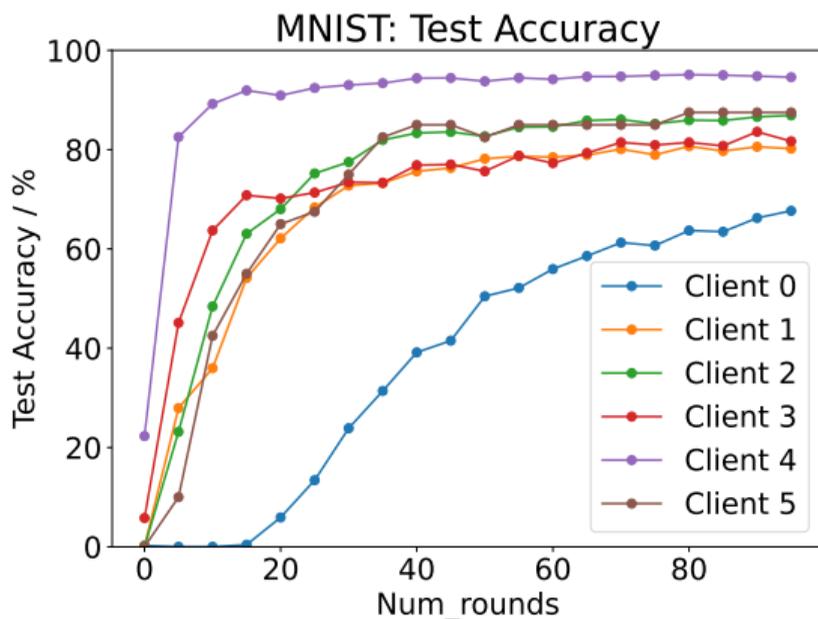
# Accelerating fair federated learning: Adaptive federated adam<sup>3</sup>

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<sup>3</sup>Ju, Zhang, et al., "Accelerating Fair Federated Learning: Adaptive Federated Adam".

## Fairness problem?

If clients own their own local test sets (instead of a global test set):



**Fairness problem:** the discrepancy in model performance across clients in FL.

# Q-Fair FL

## Standard FL

$$\theta^* = \arg \min_{\theta} \sum_{k=1}^K R_k(\theta)$$

## Q-Fair FL

$$\theta^* = \arg \min_{\theta} \sum_{k=1}^K R_k^{q+1}(\theta)$$

where  $q \geq 0$  is a hyperparameter. A commonly used approach in resource allocation, with  $q$ -fairness guarantee.

The update rule and the gradient are given by:

$$\theta^{t+1} := \theta^t + \eta_t \cdot \nabla_{\theta} \sum_{k=1}^K R_k^{q+1}(\theta^t)$$
$$\nabla_{\theta} \sum_{k=1}^K R_k^{q+1}(\theta^t) = (q+1) \sum_{k=1}^K R_k^q(\theta^t) \cdot \nabla R_k(\theta^t)$$

Diminishing gradient scales require adaptive  $\eta_t$  to make progress!

Tian<sup>4</sup> proposed an adaptive method, which is

- Effective
- But slow (2-5 times slower compared to FedAvg)
- And not compatible with FedOpt.

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<sup>4</sup>Li et al., "Fair resource allocation in federated learning".

We want FL to be both **fair** and **fast**.

### Problems include:

- The diminishing gradient scales
  - Reformulation is required.
- Poor use of FedOpt.
  - Study of the server-side optimiser for better convergence.

We propose a new formulation

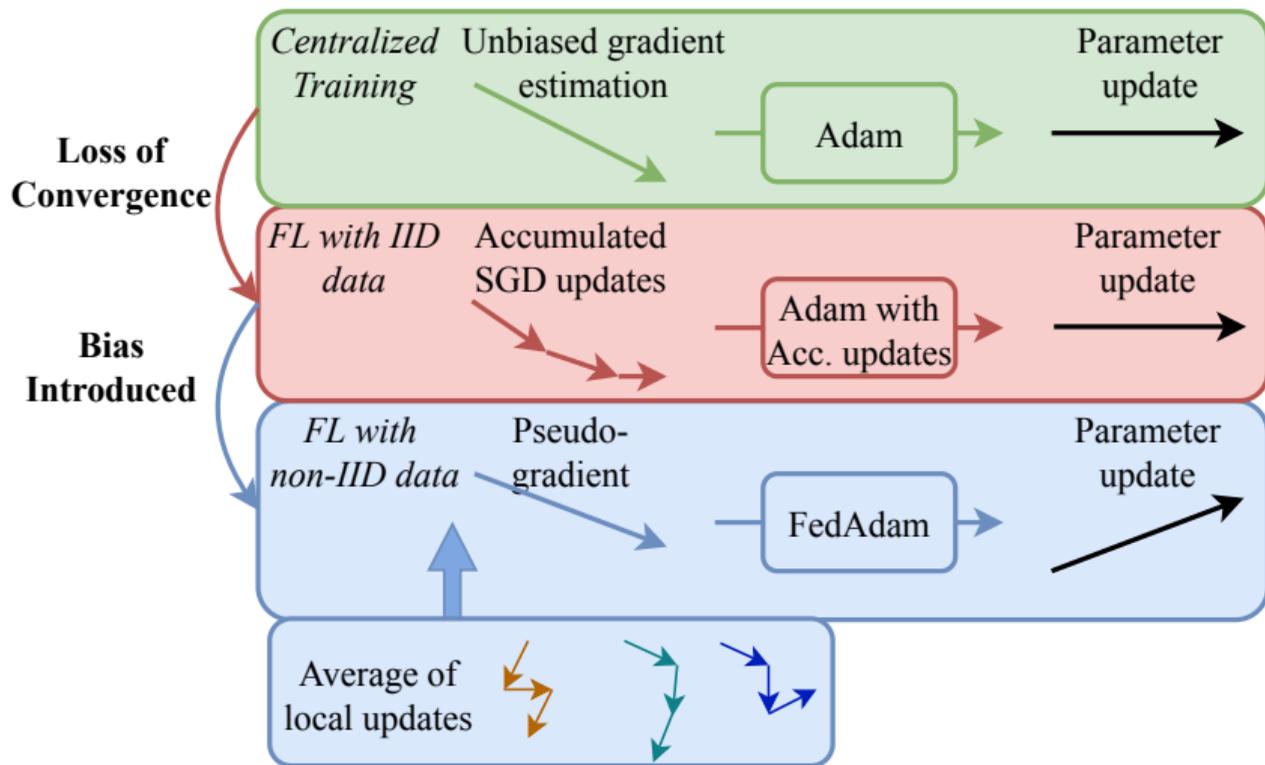
$$\theta^* = \arg \min_{\theta} \frac{\sum_{k=1}^K I_k^\alpha(t) \cdot R_k(\theta^t)}{\sum_{k=1}^K I_k^\alpha(t)}$$

where  $I_k(t) := R_k(\theta^t)/R_k(\theta^0)$  and  $\alpha \geq 0$  is similar to  $q$  in Q-fair FL.

Our formulation has two properties:

- Shares the same stationary points with Q-fair FL, thus with **the identical fairness guarantee**.
- Gets rid of the problem of diminishing gradient scales, thus **compatible** with Fed0pt.

To further accelerate the optimisation, we study Adam in heterogeneous FL.



## Our method

Tackling the problem of FedAdam, we propose our method, Adaptive Federated Adam:

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### Algorithm 2 AdaFedAdam

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**Require:** Initialize parameters  $\theta^0$

**for** round  $t$  in  $\{1, \dots, T\}$  **do**

**for** client  $k$  in  $\{1, \dots, K\}$  **parallel do**

$$\theta_k^t = \text{ClientOpt}(\theta^{t-1})$$

▷ Client-side

$$\Delta_k^t \theta := \theta_k^t - \theta^{t-1}$$

$$\Delta_k^t \theta = \eta_k^t \cdot \mathbf{U}_k^t \text{ s.t. } \|\mathbf{U}_k^t\|_2 = \|\nabla_{\theta} R_k(\theta^t)\|_2 \text{ (step size} \times \text{direction)}$$

**end for**

$$\eta^t, \beta_1^t, \beta_2^t = \text{Aggre. hyperpara.}(\{\eta_k^t\} : 0 \leq k < K)$$

▷ Server-side

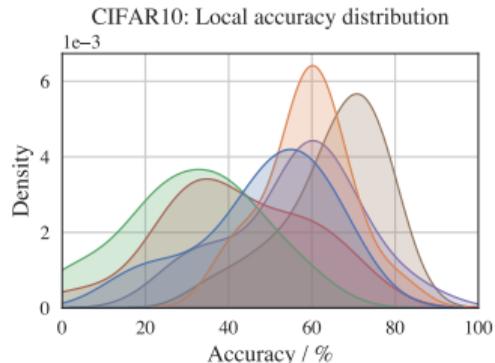
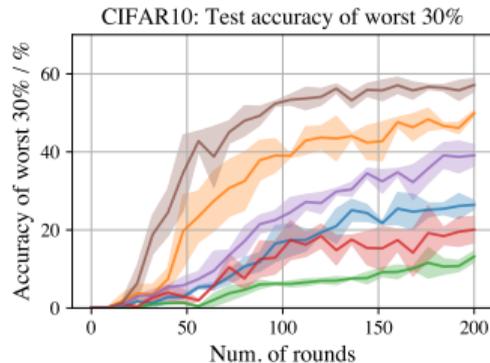
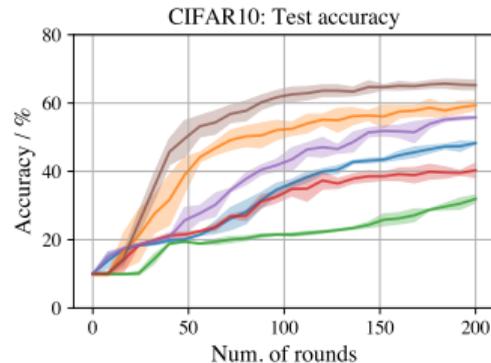
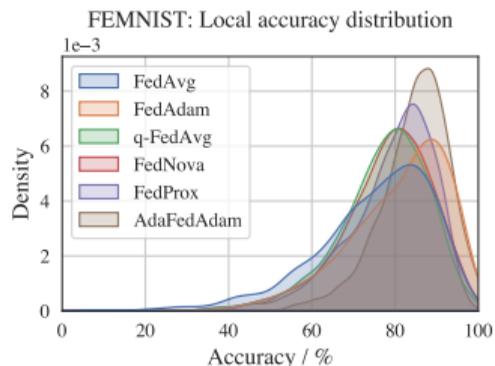
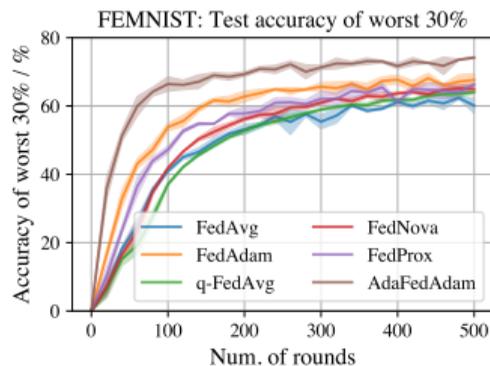
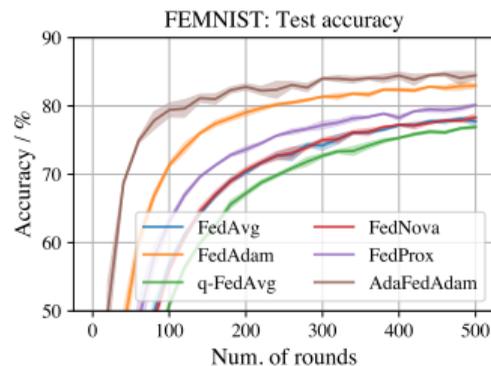
$$\Delta^t \theta = \text{Aggre. direction}(\{\mathbf{U}_k^t : 0 \leq k < K\})$$

$$\theta^{t+1} := \text{Adam}(\Delta^t \theta; \eta^t, \beta_1^t, \beta_2^t)$$

**end for**

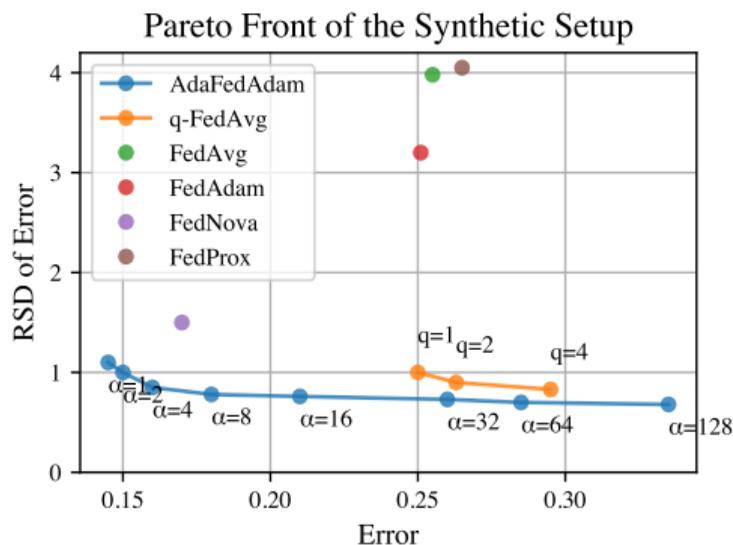
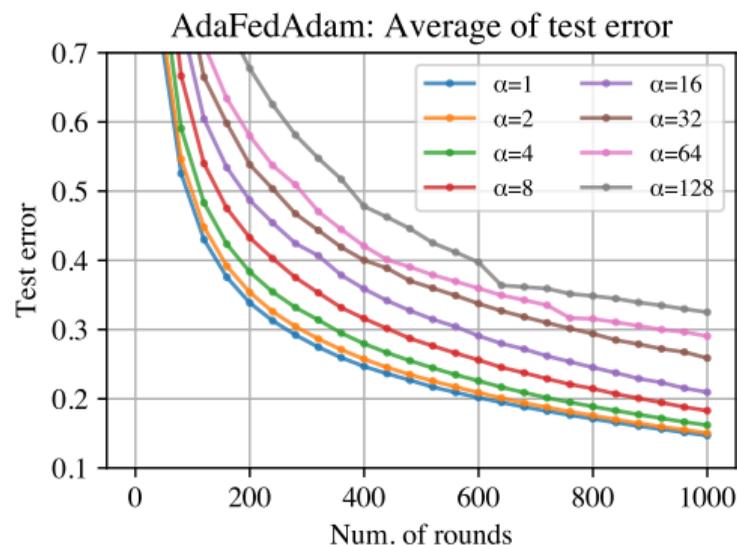
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# Empirical results: convergence and fairness



# Empirical results: the Pareto front

How does the additional hyper-parameter  $\alpha$  affect the performance?



# Key Properties

Our approach ensures following properties:

- Fairness guarantee: Identical to Q-fair FL.
- Improved convergence rate.
- Fine-tuning free: Adaptivity of hyper-parameters.
- Others: allowance for resource heterogeneity, robustness, compatibility with arbitrary local solvers, etc.

# Exploiting the asymmetric uncertainty structure of pre-trained vision-language models on the unit hypersphere<sup>5</sup>

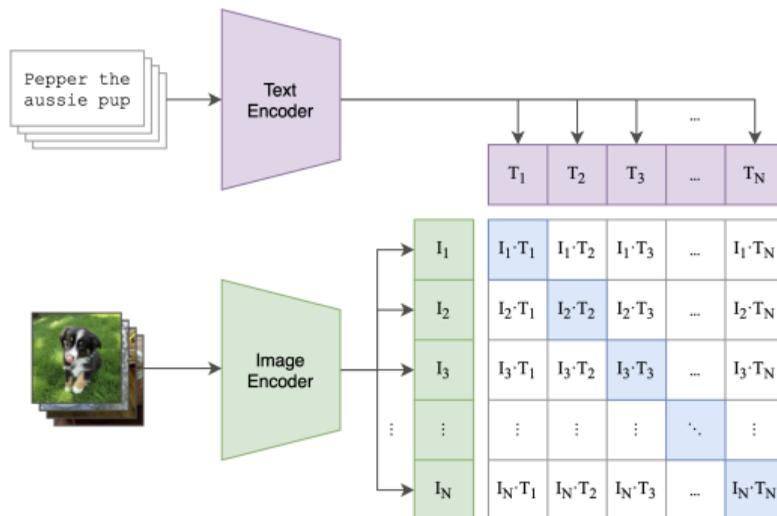
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<sup>5</sup>Ju, Andersson, et al., “Exploiting the Asymmetric Uncertainty Structure of Pre-trained VLMs on the Unit Hypersphere”.

# What is pre-trained VLMs?

"VLMs learn to map relationships between textual and visual data, in which image and text embeddings reside in a joint vector space."

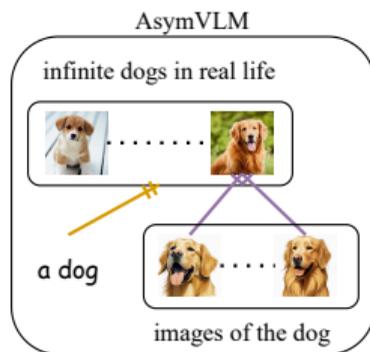
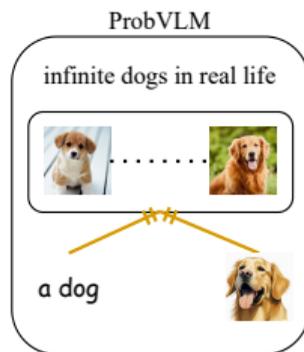
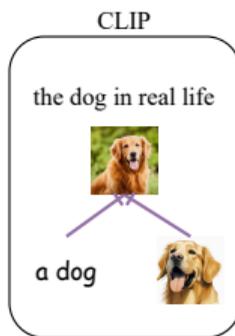
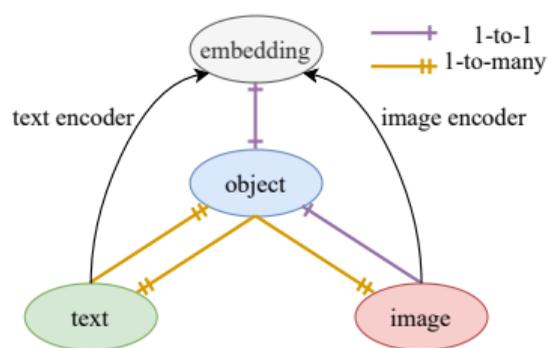
## Contrastive Language Image Pre-training (CLIP)<sup>6</sup>



<sup>6</sup>Radford et al., "Learning transferable visual models from natural language supervision".

# Rethinking Building VLMs

- CLIP: "Image-text is an one-to-one mapping".
- ProbVLM<sup>7</sup>: "Image-text is a (symmetric) many-to-many mapping".
- AsymVLM: "Image-text is a many-to-many mapping with an asymmetric structure."



<sup>7</sup>Upadhyay et al., "Probvlm: Probabilistic adapter for frozen vision-language models".

## Building the method

- Text encoder (text  $\rightarrow$  embedding): one-to-many, modelled by **probabilistic embeddings**.
- Image encoder (image  $\rightarrow$  embedding): one-to-one, modelled by **deterministic embedding**.

Additionally, we need to utilize the pre-trained models (CLIP, BLIP, SigLIP, etc), which has deterministic embeddings on  $\mathbb{S}^{d-1}$ :

- The method should be **post-hoc**.
- Probabilistic embeddings should be modelled by **directional distributions**.

## Deriving the Loss

Formally, the embedding of any text  $t \in \mathcal{T}$  is modeled by a random variable  $\mathbf{z}^T$ ,

$$\mathbf{z}^T \sim P(\theta(t)) \text{ where } \theta(t) := g_T \circ f_T(t),$$

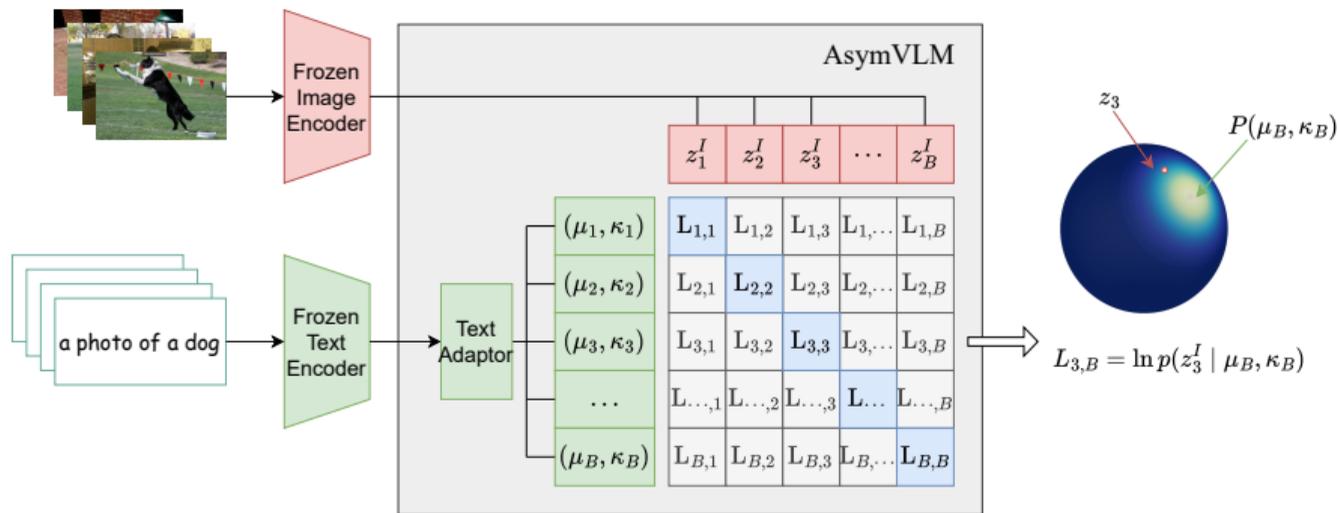
$g_T$  denote the adaptor and  $f_T$  denote the pre-trained text encoder.

The embedding of any image  $i \in \mathcal{I}$  is given by  $\mathbf{z}^I = f_I(i)$ , where  $f_I$  denotes the pre-trained image encoder.

We choose von Mises Fisher distribution (vMF) and Power Spherical distribution (PS) for probabilistic embeddings.

# Deriving the Loss

We want to maximize  $p(z^I(i) | \theta(t))$  if  $t$  and  $i$  match, and minimize it if they do not:



To maximize the diagonals and minimize the off-diagonals, InfoNCE loss is applied.

## Discussion

Unified objectives:

$$\theta = \arg \min_{\theta \in \Theta} - \frac{1}{2B} \sum_{n=1}^B \left[ \ln \frac{\exp(\tau \delta(n, n))}{\sum_{m=1}^B \exp(\tau \ln \delta(n, m))} + \ln \frac{\exp(\tau \delta(n, n))}{\sum_{m=1}^B \exp(\tau \delta(m, n))} \right].$$

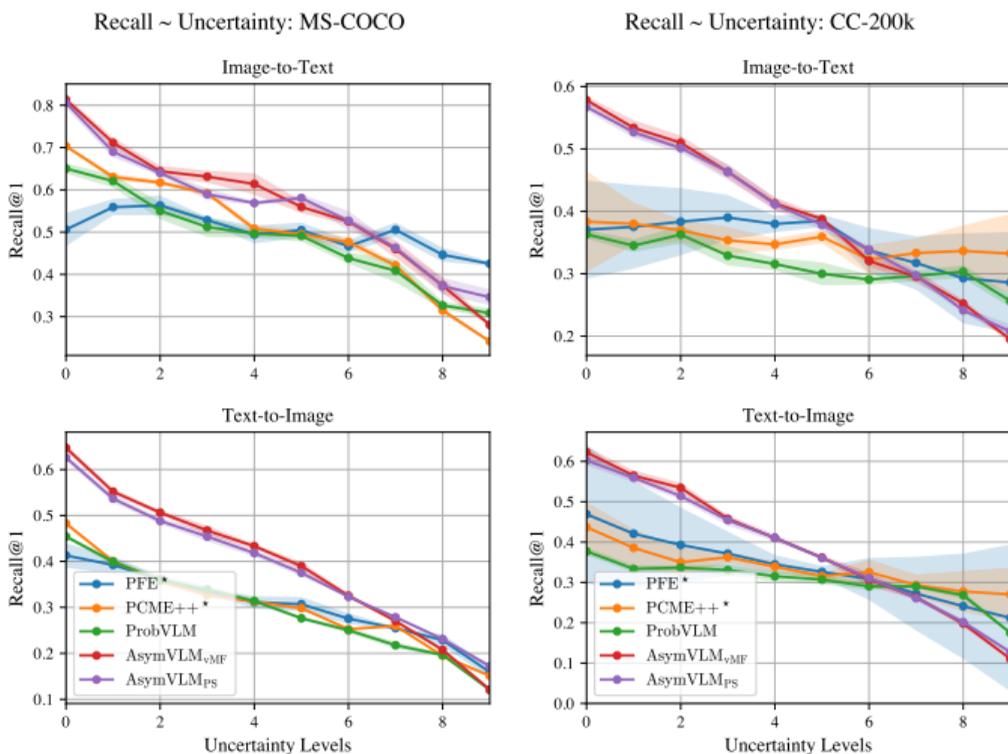
Denoting  $\text{CosSim}(r, s) = \mu(t_r)^\top z_s^l$ , for any  $r, s \in [B]$  we have,

for CLIP:  $\delta_{\text{CLIP}}(r, s) = \text{CosSim}(r, s)$ ,

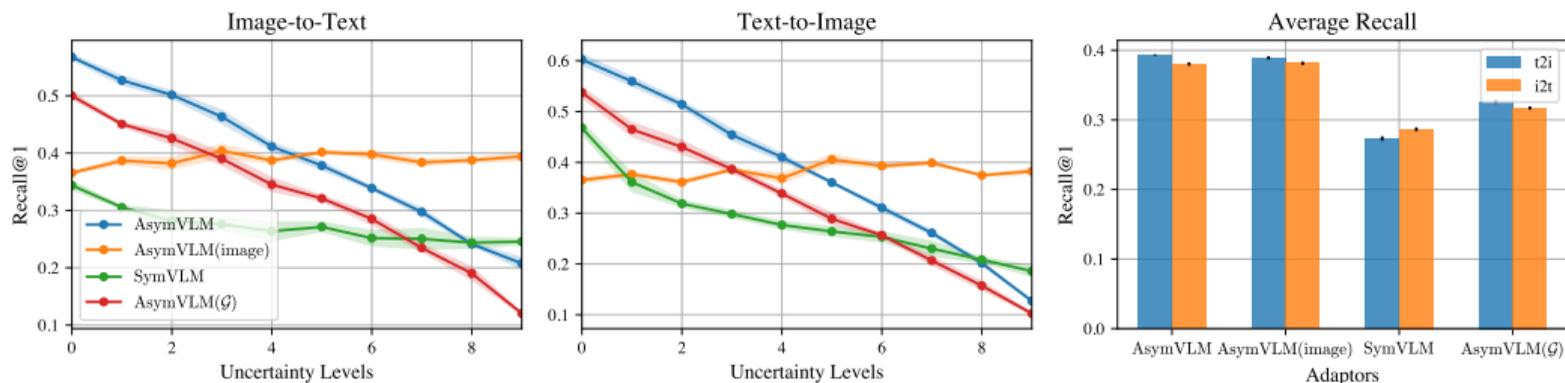
for AsymVLM<sub>VMF</sub>:  $\delta_{\text{VMF}}(r, s) = \kappa(t_r) \cdot \text{CosSim}(r, s) + F_d(\kappa(t_r))$ ,

for AsymVLM<sub>PS</sub>:  $\delta_{\text{PS}}(r, s) = \kappa(t_r) \ln(1 + \text{CosSim}(r, s) + \ln C_d(\kappa(t_r)))$ .

# Empirical results: Uncertainty evaluation



# Empirical results: ablation study



- Asymmetric structure is essential for uncertainty estimates.
- The choice of hyper-spherical (directional) distribution greatly improves the cross-modal retrieval performance.

# Key Properties

Our method has following properties:

- Better cross-modal retrieval performance.
- Retrieval with uncertainty (estimated from likelihood).
- Robust fine-tuning.
- Robust zero-shot classification (know unknown).

# Future Work

Ongoing works:

- Is logit adjustment a free lunch for heterogeneous federated learning?
- Federated heterogeneous rank adaptation for pre-trained large models

# Publications

## Presented works:

- **Ju L**, Hellander A, Spjuth O. Federated learning for predicting compound mechanism of action based on image-data from cell painting. *Artificial Intelligence in the Life Sciences*. 2024 Jun 1;5:100098.
- **Ju L**, Zhang T, Toor S, Hellander A. Accelerating fair federated learning: Adaptive federated adam. *IEEE Transactions on Machine Learning in Communications and Networking*. 2024 Jul 4.
- **Ju L**, Andersson M, Fredriksson S, Glöckner E, Hellander A, Vats E, Singh P. Exploiting the Asymmetric Uncertainty Structure of Pre-trained VLMs on the Unit Hypersphere. *arXiv preprint arXiv:2505.11029*. 2025 May 16.

## Other works:

- **Ju L**, Singh P, Toor S. Proactive autoscaling for edge computing systems with kubernetes. In *Proceedings of the 14th IEEE/ACM International Conference on Utility and Cloud Computing Companion 2021 Dec 6* (pp. 1-8).
- Li S, Ngai EC, Ye F, **Ju L**, Zhang T, Voigt T. Blades: A unified benchmark suite for byzantine attacks and defenses in federated learning. In *2024 IEEE/ACM Ninth International Conference on Internet-of-Things Design and Implementation (IoTDI) 2024 May 13* (pp. 158-169). IEEE.
- Zhang T, **Ju L**, Singh P, Toor S. InfoHier: Hierarchical Information Extraction via Encoding and Embedding. *arXiv preprint arXiv:arXiv:2501.08717*. 2025 Jan 15.

Thank you for listening!

Questions?